

```

mod ::=
  x
  {}
  [val exp]
  [val : typ]
  [type typ]
  [type : kind]
  [data typ]
  [data : typ]
  [unit mod]
  [unit : sig]
  new mod
  {module l = mod}
  mod.l
  link x = mod1 with mod2
  link x = mod1 seals mod2
  mod :> sig
  (mod)
  [val exp : typ]
  [type]
  [type typ : kind]
  [data typ : kind]
  [data : typ : kind]
  [unit mod : sig]
  [module mod]
  [module : mod]
  [module mod1 : mod2]
  {dec1(,) ... (,) decn}
  !mod
  mod1 with mod2
  mod1 seals mod2
  link x : mod1 with mod2
  link x : mod1 seals mod2
  let dec1(,) ... (,) decn in mod
  let x = mod1 in mod2
  fn x = mod1 in mod2
  fn x : mod1 in mod2
  mod1 mod2

  ~ [val exp] with [val : typ]
  ~ [type : #]
  ~ [type typ] with [type : kind]
  ~ [data typ] with [type : kind]
  ~ [data : typ] with [type : kind]
  ~ [unit mod] with [unit : sig]
  ~ mod
  ~ !mod
  ~ mod1 with !mod2
  ~ link x = {dec1} with ... link x = {decn[x.xi/xi]} with {}
  ~ new mod
  ~ link x = mod1 with mod
  ~ link x = mod1 seals mod
  ~ link x = !mod1 with mod
  ~ link x = !mod1 seals mod
  ~ {dec1(,) ... (,) decn, module l = mod}.l
  ~ let module x = mod1 in mod2
  ~ [unit link x = {module Arg = mod1} with {module Res = mod2[x.Arg/x]}
  ~ fn x = !mod1 in mod2
  ~ ({module Arg = mod2} with !mod1).Res

dec ::=
  val p ⟨[α1, ..., αn]⟩ (x1:typ1) ... (xm:typm) : typ
  ~ p = [val : ⟨forall [α1, ..., αn] -> typ1 -> ... -> typm -> typ]
  val p ⟨[α1, ..., αn]⟩ (x1:typ1) ... (xm:typm) (: typ) = exp
  ~ p = [val {fn [α1, ..., αn] -> fn x1:typ1 -> ... fn xm:typm -> exp
    (: ⟨forall [α1, ..., αn] -> typ1 -> ... -> typm -> typ)}]
  type p ⟨[α1, ..., αn]⟩
  ~ p = [type (: #n -> #)]
  type p ⟨[α1, ..., αn]⟩ (: kind)
  ~ p = [type (: #n ->) kind]
  type p ⟨[α1, ..., αn]⟩ (: kind) = typ
  ~ p = [type {fn [α1, ..., αn] -> typ (: #n ->) kind}]
  data p ⟨[α1, ..., αn]⟩ (: kind) = typ
  ~ p = [data {fn [α1, ..., αn] -> typ (: #n ->) kind}]
  data p ⟨[α1, ..., αn]⟩ (: kind) : typ
  ~ p = [data : {fn [α1, ..., αn] -> typ (: #n ->) kind}]
  unit p : sig
  ~ p = [unit : sig]
  unit p (: sig) = mod
  ~ p = [unit mod (: sig)]
  module p : mod
  ~ p = [module : mod]
  module p (: mod1) = mod2
  ~ p = [module mod2 (: mod1)]
  module x.ls = mod
  ~ x = {module l1 = ... {module ln = mod} ...}
  do exp
  ~ val x = exp

```

$prog ::=$	$dec_1 \langle, \rangle \dots \langle, \rangle dec_n$ mod	$\rightsquigarrow unit\ it = mod$
$sig ::=$	$mod\ import\ (ls_1, \dots, ls_n)$ $mod\ export\ (ls_1, \dots, ls_n)$ mod	$\rightsquigarrow mod\ import\ ()$
$ls ::=$	$\epsilon \mid ls.l$	
$p ::=$	$x \mid x.ls$	
$kind ::=$	$\#$ $\#n \rightarrow \#$ $\# \rightarrow \#$	$\rightsquigarrow \#1 \rightarrow \#$
$typ ::=$	$!mod$ int $string$ (typ_1, \dots, typ_n) $(typ_1 \mid \dots \mid typ_n)$ $typ_1 \rightarrow typ_2$ $forall\ [\alpha_1, \dots, \alpha_n] \rightarrow typ$ $fn\ [\alpha_1, \dots, \alpha_n] \rightarrow typ$ $typ\ [typ_1, \dots, typ_n]$ (typ) p $bool$	$\rightsquigarrow !p$ $\rightsquigarrow ((\mid ()))$
$exp ::=$	$!mod$ n s $exp_1 + exp_2$ $exp_1 - exp_2$ $exp_1 == exp_2$ $exp_1 < exp_2$ $exp_1 ++ exp_2$ (exp_1, \dots, exp_n) $exp\#n$ $exp@n[typ]$ $case\ exp\ of\ x_1 \rightarrow exp_1 \mid \dots \mid x_n \rightarrow exp_n$ $fn\ x:typ \rightarrow exp$ $exp_1\ exp_2$ $fn\ [\alpha_1, \dots, \alpha_n] \rightarrow exp$ $exp\ [typ_1, \dots, typ_n]$ $in\ mod\ [typ_1, \dots, typ_n]\ exp$ $out\ mod\ [typ_1, \dots, typ_n]\ exp$ $let\ module\ x = mod\ in\ exp$ $print\ exp$ (exp) p $@n[typ]$ $false$ $true$ $if\ exp_1\ then\ exp_2\ else\ exp_3$ $let\ dec_1 \langle, \rangle \dots \langle, \rangle dec_n\ in\ exp$ $let\ x = exp_1\ in\ exp_2$ $(exp : typ)$ $exp_1 ; exp_2$	$\rightsquigarrow !p$ $\rightsquigarrow ()@n[typ]$ $\rightsquigarrow @1[bool]$ $\rightsquigarrow @2[bool]$ $\rightsquigarrow case\ exp_1\ of\ x \rightarrow exp_3 \mid x \rightarrow exp_2$ $\rightsquigarrow let\ dec_1\ in\ \dots\ let\ dec_n\ in\ exp$ $\rightsquigarrow let\ x = [val\ exp_1]\ in\ exp_2$ $\rightsquigarrow let\ x = [val\ exp:typ]\ in\ x$ $\rightsquigarrow let\ x = exp_1\ in\ exp_2$